

Microbial growth: chapter 6

Population growth

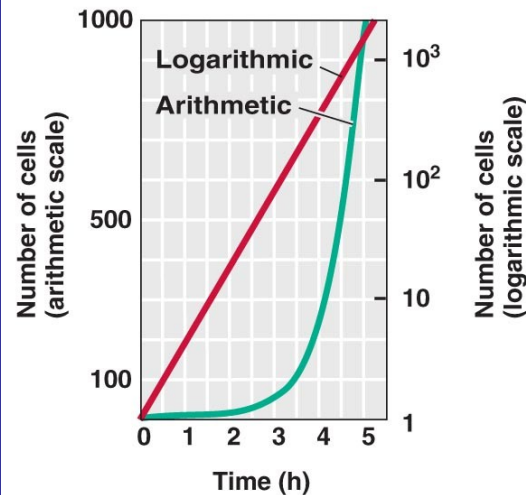
- Increase in cell number or cell mass of population
- **Growth rate**
 - change in cell number or mass/time
- **Generation**
 - the interval of two cells from one
- **Generation time (doubling time)**
 - time for cell mass or # to double
 - Varies greatly
 - Type of organism
 - Temperature
 - Nutrients
 - Other conditions
 - Norm= 1-3 hours
- **Exponential growth (Log phase growth)**
 - When population doubles/ unit of time

Bacteria grow exponentially

- Most bacteria divide in a short amount of time and produce a large amount of bacteria – easier to represent these large numbers by logarithmic scales

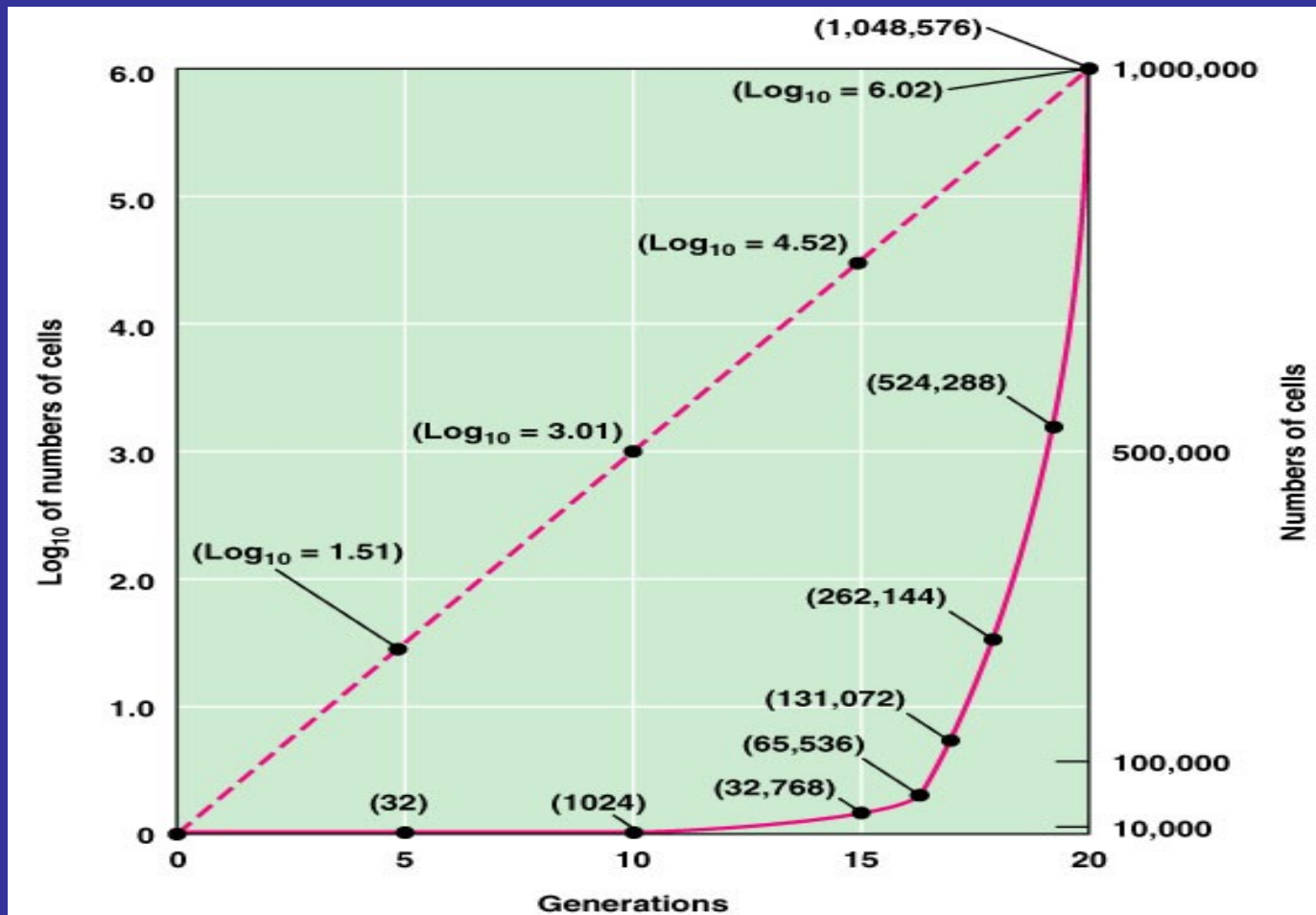
Time (h)	Total number of cells	Time (h)	Total number of cells
0	1	4	256 (2^8)
0.5	2	4.5	512 (2^9)
1	4	5	1,024 (2^{10})
1.5	8	5.5	2,048 (2^{11})
2	16	6	4,096 (2^{12})
2.5	32	.	.
3	64	.	.
3.5	128	10	1,048,576 (2^{19})

(a)



(b)

The number of cells produced after X-generations is better expressed logarithmically



Generation time = the time it takes a microbial population to double in number

- **$G = t/n$**
- t = time of exponential growth
- n = # of generations between original and final

Mathematics of exponential growth

- $N_t = N_0 \times 2^n$
- N_0 = # of cells in population initially
- N_t = # of cells in population at time t
- n = number of generations that have occurred
- $\log(N_t = N_0 \times 2^n)$
- $\log N_t = \log N_0 + n \log 2$
- $\log N_t - \log N_0 = n \log 2$
- $(\log N_t - \log N_0) / \log 2 = n$
- $(\log N_t - \log N_0) / 0.301$
- $3.3 (\log N_t - \log N_0)$

Problems

determine the number of cells in a population at time t

- 1. If you start with 1 cell how many do you have after 4 generations?
- $N_t = N_0 \times 2^n$
- $16 = 1 \times 2^4$
- 2. If you start with 100 cells, how many do you have after 4 generations?
- $N_t = N_0 \times 2^n$
- $1600 = 100 \times 2^4$

Problem

- 4. *E. coli* has a generation time of 20 minutes. If you start with 1 *E. coli* cell how many do you have after 2 hours?
- $N_t = N_0 \times 2^n$
- $64 = 1 \times 2^6$
- If it is 2 hours, then 6 generations
- $120 \text{ minutes} / 20 \text{ minutes} = 6$

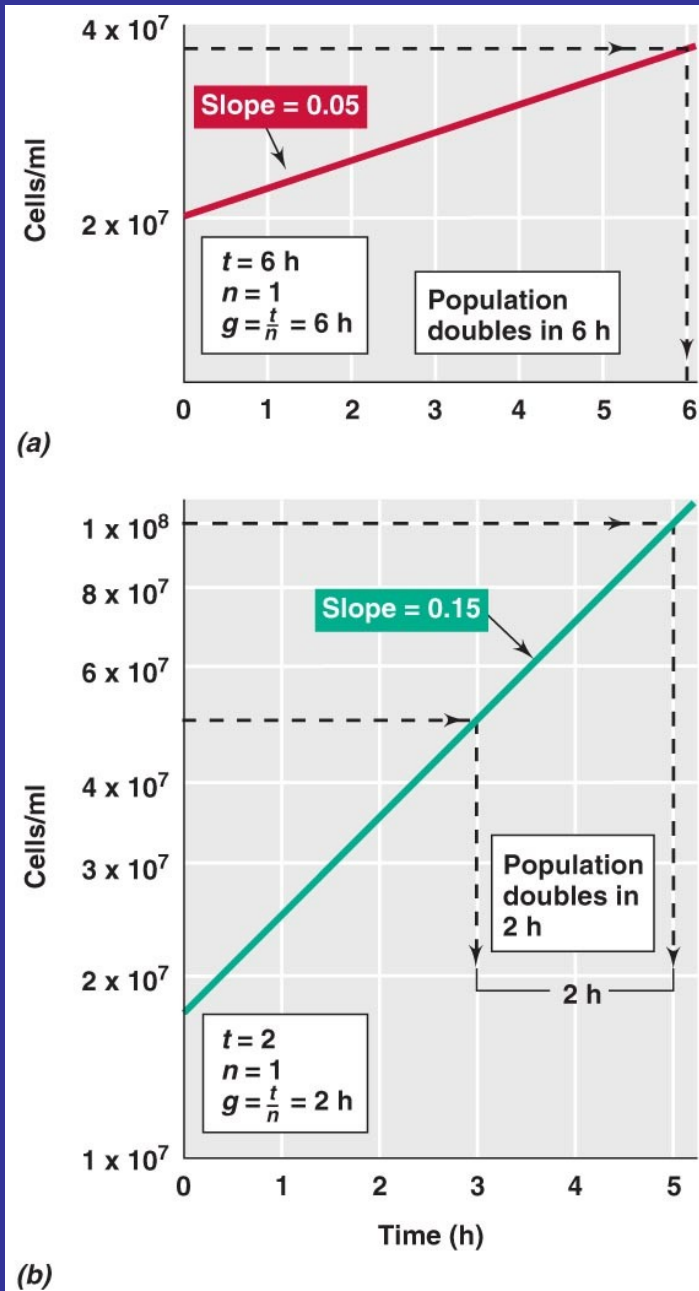
Problems: determine number of generations

- 5. Example
- If $N_0 = 1 \times 10^4$, $N_t = 6.5 \times 10^7$, $t = 240$ min. minutes, then what is the number of generations?
- $(\log N_t - \log N_0) / \log 2 = n$
- $(\log (6.5 \times 10^7) - \log (1 \times 10^4)) / \log 2$
- Use your calculator to figure this out

Problems: determine generation time

- If $N_0 = 1 \times 10^4$, $N_t = 6.5 \times 10^7$, $t = 240$ min. minutes, then what is the generation time?
- Use the formula, $g = t/n$
- $= g = 240 \text{ minutes}/n$ (this you get from the last question)

Plotting growth versus time:
The smaller the generation time, the faster the growth.
The faster the growth, the greater the slope in the line.
G=6 hours; slope 0.05
G=2 hours; slope 0.15

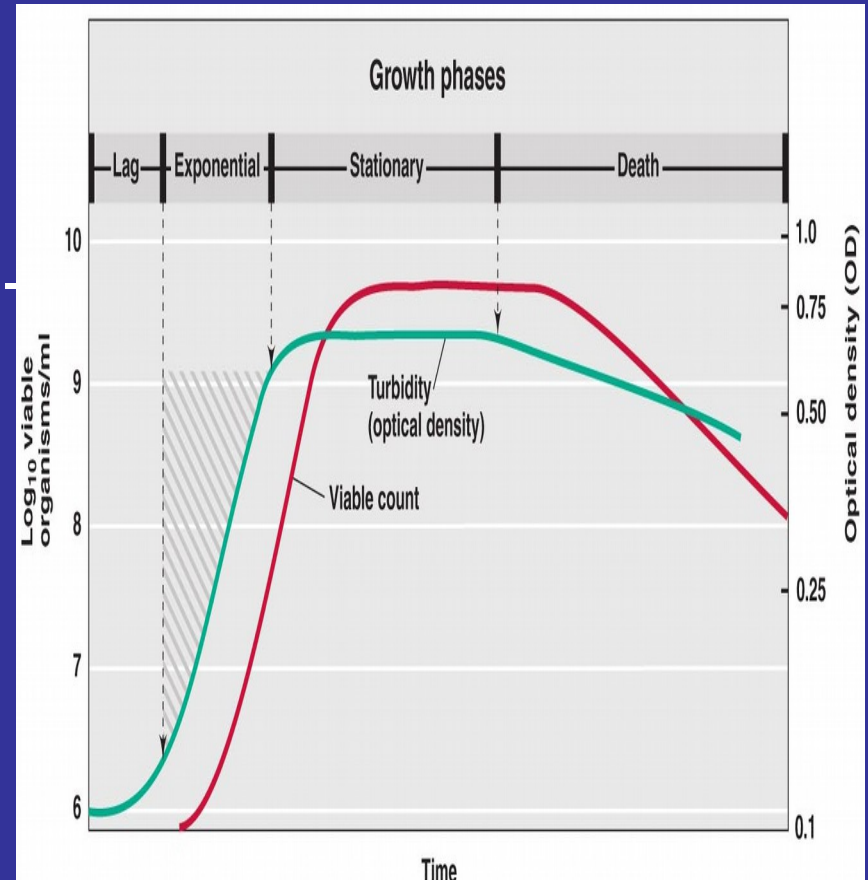


The growth calculations pertain to
EXPONENTIAL PHASE ONLY!

- Bacteria have other phases of growth also

Bacterial population growth undergoes 4 phases

- 1. Lag phase
- 2. Exponential phase
- 3. Stationary phase
- 4. Death phase



Lag phase

- No increase in cell number
- Synthesize macromolecules needed for protein synthesis and enzymes required for cell division
- The length of the lag phase depends on:
 - Conditions of bacteria before transfer into growth medium
 - The content of the growth medium

Log (exponential) phase

- Cells are dividing at maximal rate
- Cells are most susceptible to the action of antibiotics and other deleterious agents

Stationary phase

- Occurs when the number of viable cells stops increasing
- Due to nutrients being used up and/or toxic products accumulating from cell's metabolism

Death phase

- **Exponential decrease in the number of viable cells**
- **Dead cells are cells that can no longer multiply**